

Mathematics Textbooks with Open Licenses

Pacific Northwest Project NExT, Seattle University

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Design of Open Online Textbooks

- Copyright is a government-granted monopoly
- Copyright Act of 1976: now death + 70 years
- An open license provides additional freedoms
 - Unlimited copying
 - In perpetuity
 - Modifications for personal use
 - Possibly: the right to distribute modifications
 - “Copyleft”

“freely available”
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Advantages of Online Textbooks with Open Standards

- **Not** proprietary interfaces, not **PDF**
- Compact and Portable: 64 Gigabytes is
 - 64 Encyclopedia Britannica (text only)
 - 1 English Wikipedia (text only)
 - 10,000 400-page math textbooks
- Ubiquitous: laptop, tablet, or phone
- Current: edit, and refresh, at will
- Accurate: crowd-sourced proof-reading
- Open: never out-of-print
- Intellectually honest: not marketing
- Accessible: best tech practices
- **FREE!!!!**

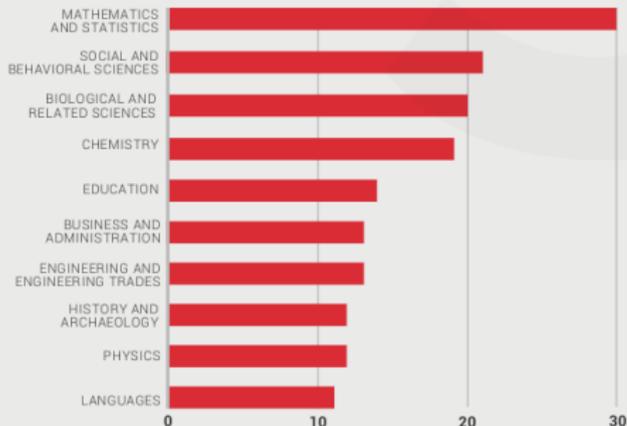


The Movement

KEY INSIGHT #3: MATHEMATICS AND STATISTICS IS THE ACADEMIC SUBJECT WITH THE MOST OER TRACTION

Institutions were asked to note which academic subjects had the greatest OER traction. Amongst the 65 institutions that answered this question, mathematics and statistics ranked the highest with nearly half (30) indicating it had traction, followed by social and behavioural sciences (21), biological and related sciences (20), and chemistry (20). Figure 6 depicts the top 10 academic subjects with the most OER traction.

Figure 6. Top 10 academic subjects with the most OER traction.



American Institute of Mathematics (AIM)



[Approved Textbooks](#) • [Evaluation Criteria](#) • [Guide for Authors](#) • [Editorial Board](#)

Approved Textbooks

The list below groups open textbooks by course title. All the books have been judged to meet the [evaluation criteria](#) set by the AIM editorial board.

- ▾ Liberal Arts Math
- ▾ College Algebra and Precalculus
- ▾ Calculus
- ▾ Differential Equations
- ▾ Linear Algebra
- ▾ Introduction to Proofs
- ▾ Discrete Math
- ▾ Combinatorics
- ▾ Mathematical Computing
- ▾ Numerical Analysis
- ▾ Abstract Algebra
- ▾ Number Theory
- ▾ Real Analysis
- ▾ Complex Analysis
- ▾ Geometry and Topology
- ▾ Probability
- ▾ Statistics
- ▾ Logic



AIM Open Textbook Initiative

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✓ Discrete Math

^ Combinatorics

Applied Combinatorics

Mitchel T. Keller and William T. Trotter

Combinatorics Through Guided Discovery

Kenneth Bogart

Foundations of Combinatorics with Applications

Edward A. Bender and S. Gill Williamson

✓ Mathematical Computing

✓ Numerical Analysis

✓ Abstract Algebra

✓ Number Theory

✓ Real Analysis

✓ Complex Analysis

✓ Geometry and Topology

✓ Probability

✓ Statistics

✓ Logic



Bogart's Combinatorics Through Guided Discovery

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Combinatorics Through Guided Discovery

Kenneth P. Bogart

Digital versions	PDF and HTML
PreTeXt source	Yes
Exercises	Yes
Solutions	Solution manual available to instructors
License	GNU Free Documentation License

- Text for a first course in combinatorics
- Copyright 2004 by author
- 200 pages, 6 chapters, 3 supplemental sections
- Over 400 exercises, many with hints
- Paperback version available for about \$9
- [For more information and to access PDF or online version](#)

As the title suggests this book is designed for a "discovery method" course. The heart of the book is the hundreds of exercises that guide the student through the key ideas of enumerative combinatorics and a brief introduction to graph theory. The exercises are marked with special symbols to indicate their role in the course, for example, whether they are essential or motivational. The chapter titles are

1. What is Combinatorics?
2. Applications of Induction and Recursion in Combinatorics and Graphy Theory
3. Distribution Problems
4. Generating Functions
5. The Principle of Inclusion and Exclusion
6. Groups Acting on Sets

The three supplemental sections deal with relations, mathematical induction, and exponential generating functions.

This book is the result of an NSF project led by Ken Bogart and is currently maintained by the Mathematics Department of Dartmouth College.

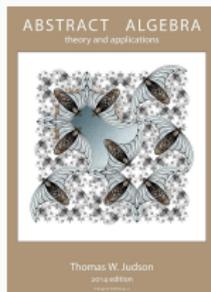
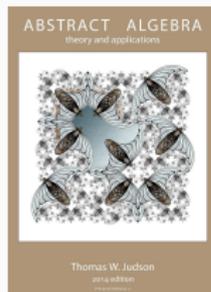
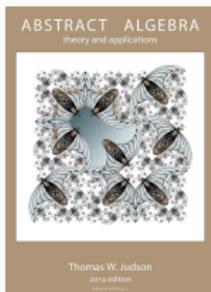
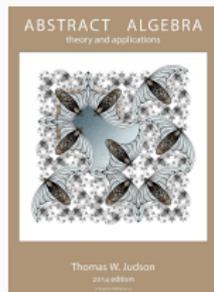


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 - EPUB (esp. iBooks)
 - Jupyter Notebooks

An Open Textbook, Online

Abstract Algebra: Theory and Applications, by Tom Judson

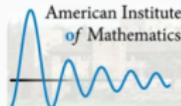
- #4 in Google for “abstract algebra”
- Openly licensed
- Hardcopy: \$25
- PDF download: Free! (Legally!)
- Online: Includes Sage Cell examples



Thank-you for your attention

PreTeXt: mathbook.pugetsound.edu

buzzard.pugetsound.edu/talks.html



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PreTeXt Example

PreTeXt Example

```
<theorem xml:id="power-rule">
  <title>Power Rule</title>
  <idx>power rule</idx>

  <statement>
    <p>The derivative of <m> $f(x)=x^n$ </m>
    is <m> $f'(x)=nx^{n-1}$ </m>.</p>
  </statement>

  <proof>
    <p>Apply induction to the product
      <me> $f(x)=x^n=x \cdot x^{n-1}$ </me>
    using <xref ref="product-rule"/>.</p>
  </proof>
</theorem>
```

Theorem 4.4 (Power Rule). *The derivative of $f(x) = x^n$ is $f'(x) = nx^{n-1}$.*

Proof. Apply induction to the product

$$f(x) = x^n = x \cdot x^{n-1}$$

using [Theorem 4.1](#).



Theorem 4.4 (Power Rule). *The derivative of $f(x) = x^n$ is $f'(x) = nx^{n-1}$.*

Proof. Apply induction to the product

$$f(x) = x^n = x \cdot x^{n-1}$$

using [Theorem 4.1](#). □

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Front Matter	<p>Theorem 4.4 Power Rule. <i>The derivative of $f(x) = x^n$ is $f'(x) = nx^{n-1}$.</i></p> <p><i>Proof.</i></p> <p>Apply induction to the product</p> $f(x) = x^n = x \cdot x^{n-1}$ <p>using Theorem 4.1.</p> <p>Corollary 4.5. <i>Suppose $f(x)$ is a continuous function. Then</i></p>			
1 Introduction				
2 The Fundamental Theorem				
3 Computing Integrals with Sage (<i>f</i>)				
4 An Interesting Corollary				
5 Some Facts and Figures				
6 Some Advanced Ideas				